

**S. S.R. DEGREE COLLEGE, (AUTONOMOUS)**  
**I-SEMESTER INTERNAL ASSESSMENT-I EXAMINATIONS**  
**Course: M.Sc. PHYSICS (Paper – II)**  
**(Classical Mechanism)**  
**QUESTION BANK**

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**I. Multiple Choice Questions**

**5 Marks**

1. The units of acceleration of gravity (g) is ( )  
a)m/s      b)m<sup>2</sup>/S<sup>2</sup>      c) m/s<sup>2</sup>      d)m<sup>3</sup>/s<sup>2</sup>
2. F=ma is Newton's \_\_\_\_\_ law ( )  
a) first      b)Second      c)third      d) None
3. Newton's laws hold good in which frames ( )  
a)Non-inertial      b)inertial      c)accelerating      d)None
4. Time co- ordinate of minkowski four dimensional space is ( )  
a) -ict      b)ct      c)ict      d)it
5.  $X^1 = x - vt$ ,  $y^1 = y$ ,  $Z^1 = z$  are called ( )  
a) Loentz transformations      b) legrangian transformation  
c) Galilian transformation      d) None
6. Constraints that can be expressed as equations involving only co - ordinates and time are called ( A )  
a)Holonomic      b)Non-holomic      c)scleronomic      d)Rheonomic
7. D Alembert's principle is equivalent to ( C )  
a)Newton's first law      b)Newton's second law  
c)Principle of virtual work      d)Law of conservation of energy
8. The Lagrangian of a system is defined as ( B )  
a)T+V      b)T-V      c)T/V      d)TV
9. A rigid body in 3-D has degree of freedom ( A )  
a)6      b)1      c)3      d)12
10. A holonomic constraint reduces ( C )  
a)mass      b)Time      c)Degree of freedom      d) momentum
11. Under galilean transformation, time ( C )  
a)Depends on velocity      b)is frame – dependent      c)is invariant      d)is complex
12. Acceleration under Galilean transformation is ( C )  
a)  $a = a + v$       b)  $a = a - v$       c)  $a = a$       d) zero

13. Which force is always conservative ( C )  
 a)Friction b)Air resistance c)Gravitational force d)Viscous force
14. Galilean transformation fails when ( C )  
 a) Velocities are small b)Accelerations are zero  
 c) Velocities approach the speed of light d) Motion is one – dimensional
15. The invariant interval in minkowski space is ( D )  
 a)Velocity b)Acceleration c) Propertime d)Space time separation
16. The world line of a free particle in minkowski space is ( C )  
 a)Parabola b)Hyperbola c)Straight line d) Circle
17. The unit of force in SI system is ( C )  
 a)Dyne b)Joule c)Newton d)Watt
18. Momentum transform under Galileam transformation as ( B )  
 a) $P = P$  b) $P = P - mv$  c) $P = P + mv$  d) $P = mv$
19. The symmetry group of minkowski space is ( D )  
 a)Galilean group b)Rotation group c)Lorentz group d)Poincare group
20. In a non – interial frame, newton's laws ( C )  
 a)Are invalid b)Hold without modification c)Require fictious forces d) Do not apply at all

## II. Fill In The Blanks

5 X 1 = 5 Marks

- The curve in minkowski space is called \_\_\_\_\_
- Newton's second law in differential form is written as  $\mathbf{F} = \frac{m d\mathbf{v}}{dt}$
- The frame of reference in which newton's law are void is called an inertial frame
- The equations of motion in lagrangian mechanics are obtained form the Euler-Lagrange equation
- Hamilton's principle states that the action is stationary
- Principle of least action is also known as Hamilton's variational principle
- Central forces are always directed towards a fixed point
- Newton's second law gives the definition of force
- Newton's first law is also known as the law of inerha
- D 'Alembert's Principle converts a dynamic problem into a problem of state equilibrium
- Forces that appear only in non – interial frames are called Pseudo foreces
- The force experienced due to rotation that acts radially outward is called centrifugal force
- Euler's equations reduce to simple harmonic motion when the torque is zero
- If the lagrangian does not depend explicity on time, the total energy is conserved
- The lagrangain formulation is especially useful for systems with Constraints

**III. Answer any two of the following questions**

**2 X 5 = 10 Marks**

1. Deduce Euler's equation of motion for a rigid body with a fixed point
2. State and discuss Lorentz transformation equation
3. Distinguish between inertial and Non – inertial frames
4. State Hamilton's principle and derive Lagrangian equation of motion from it
5. Deduce Lagrange equation of motion from 'D' Alembert's principle
6. State 'D' Alembert's principle and write its applications