

TELANGANA UNIVERSITY
S.S.R. DEGREE COLLEGE, NIZAMABAD (C.C:5029)
IV SEMESTER INTERNAL ASSESSMENT II EXAMINATIONS
TELUGU QUESTION BANK

1. $\square \mid \sqcup \{ + \sim \mid \mid \square \Xi \} \square . : \oplus \leq \square \delta \square \} \varphi \{ \rightarrow T \theta \delta \square \varepsilon \sqrt{ < \{ \square H \square \square \square > \bullet T \} \mid + \# \langle + \& \square .$

1. $H \square \sigma \sim \delta \rightarrow + \zeta \square \text{''} \Xi \}^{TM} \langle \sqcup \leq + \sqcup \leq \exists \square \mid \sigma \sim T ?$
 (μ)

μ) $< \{ \square \sigma \sim \square \mid \square \vee \} \Xi \otimes \omega \square \mid \square \in \quad _) \psi \mid \varepsilon T \theta \quad \delta \rightarrow \kappa \mid \varepsilon T \theta$
 $\& \square) \leftarrow \sqcup \leq \neg \theta$

2. $< \{ \square \sigma \sim \square \mid \square \vee \} \Xi \otimes \omega \square \mid \square \in \cong \sqcup \pm . : + \} \not\subseteq \cup \square \square + \# \square \& \square T .$
 (&□)

μ) $\mid \sqcup \Upsilon . \Xi \} . 1700 \quad _) \mid \sqcup \Upsilon . \Xi \} . 1500 \quad \delta \rightarrow \mid \sqcup \Upsilon . \Xi \} . 800$
 $\& \square) \mid \sqcup \Upsilon . \Xi \} . 1800$

3. $\square^{TM} \langle T \& \square T \psi \square \leftrightarrow \delta \square T \theta \oplus \leq \Lambda , v + _ \sqcup \leq \mid \square + \mid \rightarrow \theta < \square \delta \rightarrow \sqcup \{ \mid \square \vee \{ \{ \dots \theta \psi \square \& \square T \mu \varepsilon \sigma \sim T ?$
 (δ→)

μ) $\sqcup \leq \sigma \sim T \square \& \square T \quad _) \varepsilon \infty \omega \square \clubsuit \dots \& \square T$
 $\delta \rightarrow \exists < \square T \sigma \sim T \& \square T \quad \& \square) \psi \square \leftrightarrow \delta \square T \& \square T$

4. $\oplus \leq \square + \leftarrow \mu \varepsilon \} \square > \bullet + > \pm \theta \sim \} \not\subseteq \exists \& \square \equiv + \sim .$
 ()

μ) $\varepsilon \infty \omega \square \clubsuit \dots \& \square T \quad _) \sqcup \leq \sigma \sim T \square \& \square T$
 $\delta \rightarrow \psi \square \leftrightarrow \delta \square T \& \square T \quad \& \square) \exists < \square T \sigma \sim T \& \square T$

5. $\square \chi \subseteq < \square \sigma \square E \varepsilon T \} \varphi \langle T T \sigma \square \varepsilon T T \square \vee \{ \square \oplus \leq \square \mid \& \square T \mu \varepsilon \sigma \sim T ?$
 (μ)

μ) $> \bullet T \zeta \square \theta \& \square T \quad _) \lambda \Xi \} \square \oplus \leq \square \& \square T \quad \delta \rightarrow \Xi \} \square]$
 $\& \square) \psi \square \heartsuit \square \sqcup \mid$

6. $\cong \sim \} \rangle \oplus \leq \square + \& \square \sqcup \pm \} \text{''} \square \square \varepsilon \square < \{ \square > \pm > \bullet \& \square \square \mid \psi \square \& \square T \mid \square \square \sqcup \{ \sigma \square \square \psi \square \& \square \square \# \mid \beta \subseteq \in \& \square T .$
 (&□)

μ) $\vee \{ \square \sqcup \mid \mid \quad _) \exists < \square \leftrightarrow \quad \delta \rightarrow \square T \sim \uparrow$
 $\& \square) < \{ \prod \varepsilon < \{ \square \leftrightarrow \theta +$

7. $\mu \varepsilon \} \sqcup \leq \square \mid \square \theta T \beta \} + \sim \theta \psi \square \} \sqcup \{ X \text{''} \leftarrow \leftarrow^{TM} \wp \mid \square \square \} \rangle < \square H \square \square \& \square T$
 (μ)

μ) $\vee \{ \square > \bullet \varepsilon +^{TM} \langle T \square \quad _) \exists T \mid^{TM} \langle T \& \square T \quad \delta \rightarrow \Xi \} \mid^{TM} \langle T \varepsilon \vee$
 $\& \square) < \{ \square \theta \varepsilon +^{TM} \langle T \& \square T$

8. $\approx < _ \varepsilon \sigma \sim \sqcup = + \& \square < \square T \sigma \sim Z + \alpha \sigma \sim \# \langle \sigma T T^{TM} \langle \mu \varepsilon \sigma \sim T ?$
 (&□)

μ) $\mid \rightarrow + > \bullet [\delta \square \sqrt{\sigma \sim \theta} \quad _) \sqcup \pm \Rightarrow \not\subseteq \square \quad \delta \rightarrow \leftarrow . : \sqcup \}]$
 $\& \square) \sigma \sim \varepsilon \sqrt{\mathfrak{R} \sigma \& \square f$

9. $\approx < \square T + < \square T _ \infty \mid \square \mid \leftarrow \sqcup \leq \oplus \leq \square \delta \square + \beta \subseteq < \square \oplus \leq \square \square > \pm \mid \square \square \# \} \delta \rightarrow + < _ \varepsilon \sigma \sim T ?$
 (&□)

$\mu) \vdash \rightarrow \bullet [\delta \square \sqrt{\sigma \mathfrak{S} \theta} \quad _) \downarrow \pm \Rightarrow \varphi \square \quad \delta \rightarrow) \leftarrow : \downarrow]$
& \square) $\sigma \mathfrak{S} \varepsilon \sqrt{\mathfrak{R} \sigma \& \square f}$

10. $\langle _ \varepsilon \sigma \mathfrak{S} \downarrow = + \& \square \langle \square T \sigma \mathfrak{S} Z + \mathfrak{R} \sigma + \& \square T \Xi \rangle^{TM} \square \upsilon'' \uparrow : \beta \subseteq \geq T \dots \sigma \square E \oplus \leq \square$
 $\kappa \subseteq \emptyset \varepsilon \sigma \mathfrak{S} + \rangle \pm \square + \& _ \sim ?$ (\square)

$\mu) \downarrow \pm \downarrow \leq \rho \varphi \langle T \quad _) \psi _ : \varepsilon T \quad \delta \rightarrow) \# \varphi \Rightarrow _)$
& \square) $\beta \subseteq + \& \square \leftrightarrow$

11. $\sigma \square \# \langle _ = + \& \square _ \varphi \varepsilon T \zeta \square^{TM} \kappa \Sigma + \langle \square \sigma \mathfrak{S} \leftrightarrow \varepsilon \leftarrow \nu \sigma T T \theta \approx \upsilon [\varphi \angle \square \alpha \nu H] \dots$
.. $\square + \& _ \sim ?$ ($\delta \rightarrow$)

$\mu) \sigma \square \Delta _ \quad _) \# [* _ \leq^{TM} _ | \quad \delta \rightarrow) \psi _ \Xi _ \leftrightarrow$
& \square) $| \square \square \varepsilon T \square \omega _$

12. $\approx \varepsilon T \theta | \rangle \pm \varepsilon T H \square \varepsilon \sqrt{ : T \alpha _ \leq \exists \square | \sigma \mathfrak{S} T \cong \exists T \{ _ ?$
(μ)

$\mu) * + \rangle \bullet \varepsilon T \sqrt{] | \quad _) \leftarrow : \downarrow] \quad \delta \rightarrow) \sigma \square \exists T \mathfrak{R} \sigma \& \square f$
& \square) $\downarrow \pm \Rightarrow \varphi \square$

13. $\beta \subseteq \sigma \otimes \mathfrak{S} + \square \langle _ \square \sigma \mathfrak{S} + \rangle \pm \cong \square _ \text{''' } _ \varphi \nu H] _ \leq \delta \square + \kappa \subseteq \emptyset H \square : T \square H \square \square \sigma T T ?$
(μ)

$\mu) \beta \subseteq : \varepsilon T \sqrt{\sigma \mathfrak{S} T} \quad _) \downarrow \leq \sigma \mathfrak{S} \sqrt{\square} : T \quad \delta \rightarrow) \varepsilon T \zeta \square \text{'' } \square \sqrt{\cup \wedge \theta} \rangle \bullet \sigma \Psi$
& \square) $^{TM} _ _ : + \rangle \pm \Delta$

14. $\square _ \rangle _ \& \square T \square | \sigma \mathfrak{S} T \theta \cong | \rangle \pm \varepsilon T + \square + \sim ?$
(μ)

$\mu) \exists T \& \square \square : _ ' \quad _) \neq \sigma \square +^{TM} \langle \quad \delta \rightarrow) \psi _ : T \langle \square + \& \square T$
& \square) $\neq \sigma \varphi \langle T \langle \square$

15. $\varepsilon T \zeta \square \text{'' } \square \sqrt{\cup \wedge \theta} \rangle \bullet \sigma \mathfrak{S} + \square _ \text{''' } _ \varphi \mu \square \square | \rangle \pm \varepsilon T H \square \varepsilon \sqrt{ : T \square H \square \square \sigma T T ?$
($\& \square$)

$\mu) 3176 \quad _) 1316 \quad \delta \rightarrow) 6311 \quad \& \square) 3175$

16. $\cong | \rangle \pm \varepsilon T + \cup \geq | \beta] : T \leq \sigma \mathfrak{S} : \oplus \leq \square \varepsilon T \sqrt{ : \kappa \subseteq \emptyset \theta +$
($\delta \rightarrow$)

$\mu) \rangle \bullet \langle \square _ : \quad _) \downarrow \varphi \& \square \sqrt{\sigma \mathfrak{S} T} \quad \delta \rightarrow) \delta \square T \sigma \mathfrak{S} _ _ [$
& \square) $^{TM} \langle _ \leq \neg \infty : _$

17. $\Xi (+^{TM} \square \langle _ \exists \rangle \pm \sigma \mathfrak{S} T \mu \square \square \theta \varepsilon : _ : T \sigma \square \Xi (\sigma \mathfrak{S} T ?$
($\& \square$)

$\mu) 75 \quad _) 80 \quad \delta \rightarrow) 50 \quad \& \square) 62$

18. $\approx \approx \downarrow = + \& \square \varepsilon T _ \supset ' : T \alpha \alpha \sigma \mathfrak{S} \# \langle \sigma T T | \leftarrow \square | \sigma \mathfrak{S} T \cong \exists T \{ _ ?$
(\square)

$\mu) \Xi (+^{TM} \square \langle _ \exists \quad _) \delta \square \sigma \mathfrak{S} \delta \square _ \leftarrow \langle _ \exists \quad \delta \rightarrow) \rangle \pm \varphi \langle T | \leftarrow \langle _ \exists$
& \square) $\delta \square \sigma \varphi \square \square$

19. $\cong \delta \square + \varepsilon^{TM} \langle \diamond \sigma \mathfrak{S} + _ \varphi \square + | \langle _ \square \varphi \langle T T \varepsilon \rho \varepsilon T + \& \square * \square \delta \square \sigma \mathfrak{S} \delta \square _ \leftarrow \langle _ \exists \kappa \subseteq \emptyset | _ \rightarrow + \equiv$
+ \sim . ($\delta \rightarrow$)

$\mu) 1940 \quad _) 1930 \quad \delta \rightarrow) 1936 \quad \& \square) 1850$

